

## ABSTRACT

In many polymer applications the ability to predict product lifetime is valuable because the costs of premature failure in actual end use can be high. For example, federal regulations require the estimation of component lifetime in nuclear reactors, while power companies need to know how long insulation in transformers and transmission lines will last. Thermogravimetric Analysis (TGA) provides a method for accelerating the lifetime testing of polymers so that short term experiments can be used to predict in-use lifetime.

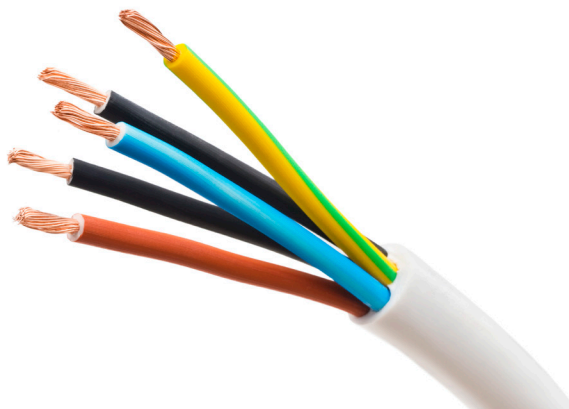
## INTRODUCTION

Wire insulation is an important polymer application in which the insulated material to use must be resistant to an electric current. The evaluation of the long-term product lifetime of wire insulation materials is of vital importance, and a rapid way to do so is prominent. One test commonly used for estimating wire insulation lifetime is ANSI/ASTM procedure D-2307. In this procedure, twisted pairs of insulated wire are oven aged (for up to 50 days) at elevated temperatures (up to 240 °C) until voltage breakdown occurs. A series of such tests, performed at different oven temperatures, creates a semi-logarithmic plot of lifetime versus the reciprocal of failure temperature. The method assumes first order kinetics and uses extrapolation to estimate the long lifetimes encountered at normal use temperature. The application of first order kinetics to the estimation of polymer lifetimes is particularly arbitrary. Many polymers are known to decompose with first order kinetics. For those that do not, the earliest stages of decomposition can be approximated well with first order kinetics. [1,2,3,4,5]. This procedure, while useful, is very time consuming, often taking many months particularly for highly stable materials. As more and more stable polymeric electrical insulation materials are introduced, the time needed for a full series of tests become excessive. Therefore, it is desirable, if not necessary, to find a more practical technique.

Thermogravimetric Analysis (TGA), which monitors weight changes in a material as temperature changes, offers a viable alternative to oven aging. In the TGA approach, the material is heated at several different rates through its decomposition region. From the resultant thermal curves, the temperatures for a constant decomposition level are determined. The kinetic activation energy is then determined from a plot of the logarithm of the heating rate versus the reciprocal of the temperature of constant decomposition level. This activation energy may then be used to calculate estimated lifetime at a given temperature or the maximum operating temperature for a given estimated lifetime. This TGA approach requires a minimum of three different heating profiles per material. However, even with the associated calculations, the total time to evaluate a material is less than one day. With an automated TGA such as the TA Instruments TGA 5500, the actual operator time is even lower with overnight evaluation being possible.

## EXPERIMENTAL

The specific experimental conditions used (such as temperature range and specimen atmosphere) depend upon the material being tested. However experimental design and data reduction are similar for each material. In the analysis illustrated here, commercial polymers Polytetrafluoroethylene (PTFE) (Sigma Aldrich, powder, particle size >40 µm) and Polychlorotrifluoroethylene (PCTFE or PTFCE) (Eastman Organic Chemicals, pellets), which are high temperature fluoropolymer materials used in wire insulation applications were examined.



The sample sizes were  $48 \pm 2$  mg for PTFE and  $46 \pm 2$  mg for PCTFE. Decomposition profiles were obtained while heating at 1, 2, 5, 10 and 20 °C/min in Nitrogen as purge gas, between 200 °C and 700 °C. The profile during the first 25% of sample weight loss was used for subsequent calculations.

All tests were done in duplicate.

## RESULTS AND DISCUSSION

Figures 1 and 2 display the overlaid weight loss curves at several different heating rates for PTFE and PCTFE respectively. The first step in the data analysis process is the choice of level of decomposition. Typically, a value early in the decomposition profile is desired since the mechanism here is more likely to be that of the actual product failure. On the other hand, taking the value too early on the curve may result in the measurement of some volatilization (e.g. moisture) which is not involved in the failure mechanism. A value of 5% decomposition level (sometimes called “conversion”) is a commonly chosen value. A 5% conversion rate usually corresponds to the beginning of the degradation process, and this level of degradation can cause a significant decrease of the mechanical properties of a material. Other values may be selected to provide correlation with other types of lifetime testing [6].

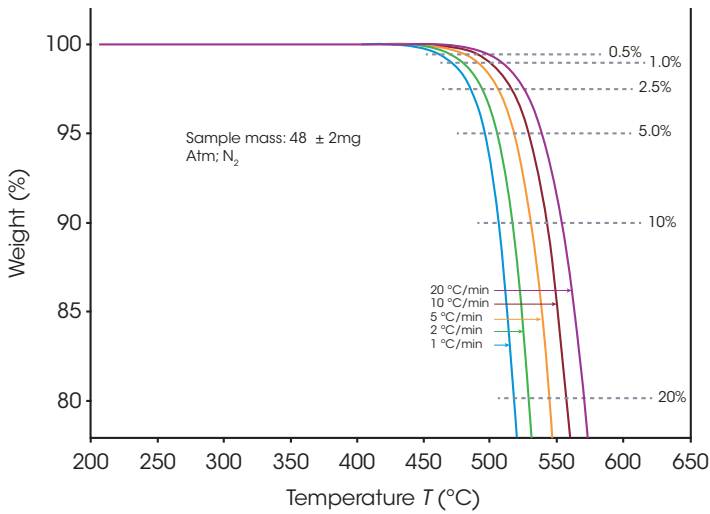


Figure 1. Overlay of PTFE TGA thermograms

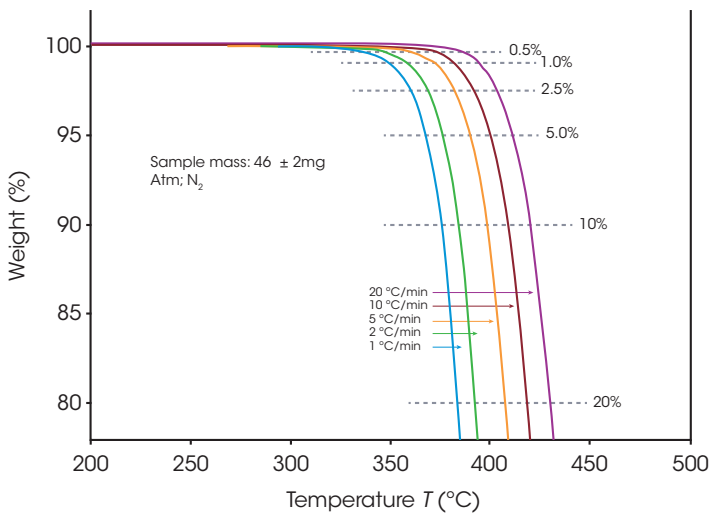


Figure 2. Overlay of PCTFE TGA thermograms

Using the selected value of conversion, the temperature (in kelvin) at that conversion level is measured for each thermal curve. A plot of the logarithm of the heating rate versus the corresponding reciprocal temperature at constant conversion is prepared. The plotted data should produce a straight line.

Figures 3 and 4 show a series of such lines created from the four curves shown in Figures 1 and 2 by plotting data at different conversion levels. If the particular specimen decomposition mechanism were the same at all conversion levels, the lines would all have the same slope. This is not the case here. The lines for the low conversion cases are somewhat different from those of 5% and higher conversion. This justifies our selection of 5% conversion as the “best” point of constant conversion for the purposes of this test.

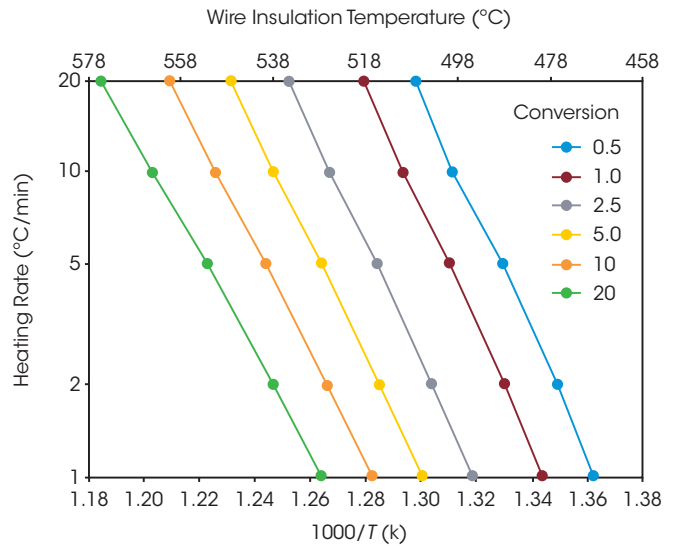


Figure 3. Log Heating Rate vs Temperature of PTFE Constant Conversion

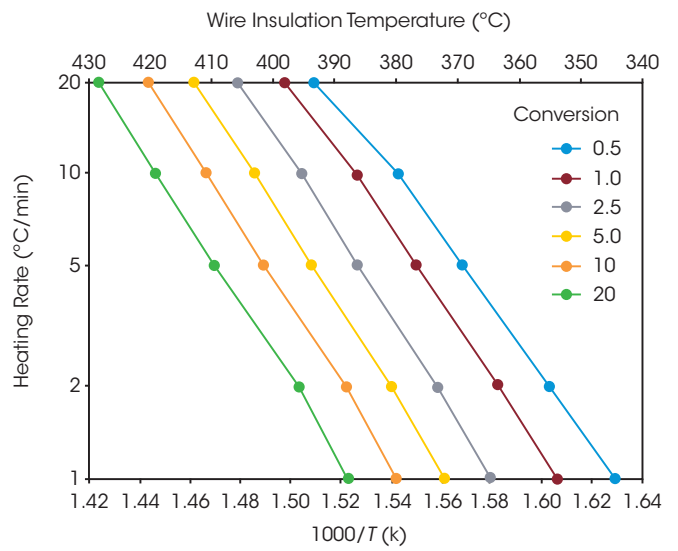


Figure 4. Log Heating Rate vs Temperature of PCTFE Constant Conversion

The next step in the process is the calculation of activation energy (E) from the slopes in Figures 3 and 4 using the method of Flynn and Wall [7, 8].

$$E = \frac{-R}{b} \left[ \frac{d \log \beta}{d \left( \frac{1}{T} \right)} \right] \quad (1)$$

Where:

- E = Activation Energy (J/mol)
- R = Gas Constant (8.314 J/mol K)
- T = Temperature at Constant Conversion (K)
- β = Heating Rate (°C/min)
- b = Constant, approximation derivative (0.457) [7]

The value of the derivative term (d log β)/[d(1/T)] is the slope of the line in Figures 3 and 4.

The value for the constant  $b$  (given in tabular form in references [7] and [8]) will vary depending upon the value of  $E/RT$ . Therefore, an iterative process must be used where  $E$  is first estimated by replacing in equation (1) the suggested  $b$  value above and the calculated slope of the lines in Figures 3 and 4; next calculate the value for  $E/RT_c$ , where  $T_c$  is the temperature at constant conversion for the heating rate closest to the midpoint of the experimental heating rates [7], (for example, if conversion is 5%,  $T_c = 791.2\text{K}$ , which corresponds to the temperature at  $5^\circ\text{C}/\text{min}$  heating rate at that conversion). then, using the obtained value for  $E/RT_c$ , choose a corresponding value for  $b$  from table 1 in reference [7] (see Appendix A).

This process is continued until  $E$  no longer changes with successive iterations.

The activation energy values and the corresponding values for  $E/RT$  calculated for the conversion cases shown in figures 3 and 4 are presented below (For all iterations,  $T_c$  is the temperature at a heating rate of  $5^\circ\text{C}/\text{min}$  at each specific conversion).

ACTIVATION ENERGY FOR PTFE (Wire Insulation Decomposition)		
Conversion %	E/RT	Activation Energy (kJ/mol)
0.5	59	373.49
1.0	59	374.41
2.5	56	365.38
5.0	53	346.21
10	49	325.0
20	44	301.85

ACTIVATION ENERGY FOR PCTFE (Wire Insulation Decomposition)		
Conversion %	E/RT	Activation Energy (kJ/mol)
0.5	40	211.74
1.0	41	222.18
2.5	43	237.09
5.0	43	238.68
10	43	238.43
20	41	238.68

Using the activation energy obtained for the conversion rate of 5%, an analysis of the lifetime of the polymer in relation to different temperatures can be done by using the following equation, proposed by Toop [9]:

$$\log t_f = \frac{E}{2.303RT_f} + \log \left[ \frac{E}{\beta R} \cdot P(X_f) \right] \quad (2)$$

Where:

$t_f$  = Estimated Time to Failure (min)

$E$  = Activation Energy (J/mol)

$T_f$  = Failure Temperature (K)

$R$  = Gas Constant (8.314 J/mol K)

$P(X_f)$  = A function whose values depend on  $E$  at the failure temperature.

$T_c$  = Temperature at constant conversion at  $\beta$  (K)

$\beta$  = Heating rate ( $^\circ\text{C}/\text{min}$ ) (closest to the midpoint of the experimental heating rates)

To calculate the estimated time to failure ( $t_f$ ), the value for the temperature ( $T_c$ ) at the constant conversion point is first selected for a slow heating rate ( $\beta$ ) (for this study,  $T_c$  is the temperature at 5% weight loss and  $\beta$  is  $5^\circ\text{C}/\text{min}$ ). This value, along with the activation energy ( $E$ ) is used to calculate the quantity  $E/RT$ . The  $E/RT$  value is then used to select a value for  $\log P(X_f)$  from the numerical integration table given in reference [9] (see Appendix B). The numerical value for  $P(X_f)$  can then be calculated by taking the antilogarithm. Selection of a value for failure (or operation) temperature ( $T_f$ ) permits the calculation of  $t_f$  from equation 2 above.

Rearrangement of equation 2 yields a form which may be used to calculate the maximum use temperature ( $T_f$ ) for a given lifetime ( $t_f$ ).

$$T_f = \frac{E/2.303R}{\log t_f - \log \left[ \frac{E}{\beta R} \cdot P(X_f) \right]} \quad (3)$$

Equation 2 may be used to create a plot, similar to the ones in Figures 5 and 6, in which (the logarithm of) estimated lifetime is plotted versus (the reciprocal of) the failure temperature. From a plot of this nature, the dramatic increase in estimated lifetime for a small decrease in temperature can be more easily visualized.

Kinetic parameters may also be determined by other thermoanalytical techniques. Differential Scanning Calorimetry (DSC) and Pressure DSC may be used to obtain such parameters for using in the estimation of thermal hazard potential of chemicals [10].

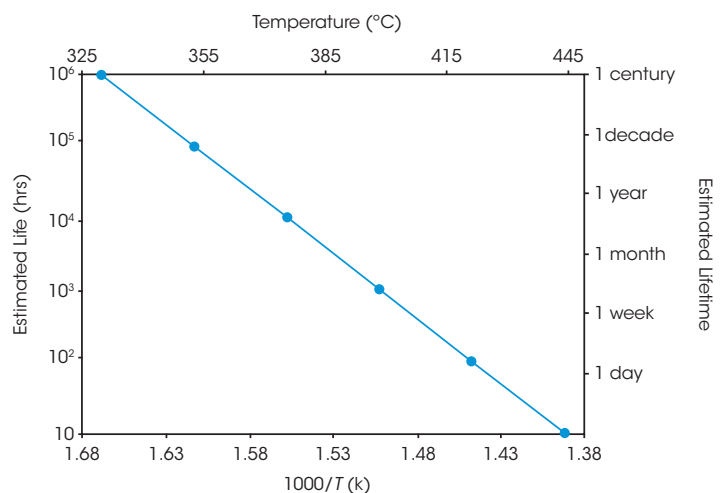


Figure 5. Estimated lifetime (hrs) (log scale) vs the reciprocal of the failure temperature for PTFE at 5% weight loss

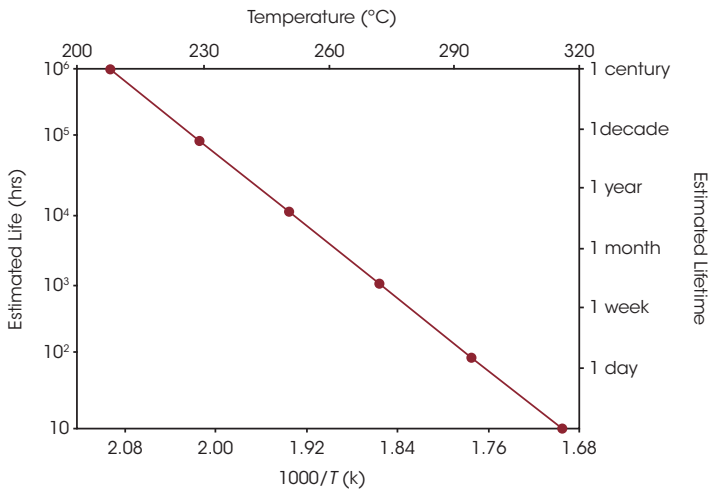


Figure 6. Estimated lifetime (hrs) (log scale) vs the reciprocal of the failure temperature for PCTFE at 5% weight loss

## CONCLUSIONS

The kinetic analysis of the thermogravimetry of polymers involves comparison of data from tests performed at different temperature programs, at least three different heating rates per material must be used. In this study, the estimated lifetime of polymeric materials used in wire insulation applications can be conducted using the TGA approach, which is an alternative to the time consuming oven aged technique.

## REFERENCES

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10. ASTM E698-18, Standard Test Method for Kinetic Parameters for Thermally Unstable Materials Using Differential Scanning Calorimetry and the Flynn/Wall/Ozawa Method, ASTM International, West Conshohocken, PA, 2018, [www.astm.org](http://www.astm.org)

## ACKNOWLEDGEMENT

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For more information or to request a product quote, please visit [www.tainstruments.com/](http://www.tainstruments.com/) to locate your local sales office information.

## Appendix A

Table to obtain an estimate b value from a calculated E/RT value,  
ASTM E1641-04 [7]

<i>E/RT</i>	<i>a</i>	<i>b(1/K)</i>
8	5.3699	0.5398
9	5.8980	0.5281
10	6.4167	0.5187
11	6.928	0.511
12	7.433	0.505
13	7.933	0.500
14	8.427	0.494
15	8.918	0.491
16	9.406	0.488
17	9.890	0.484
18	10.372	0.482
19	10.851	0.479
20	11.3277	0.4770
21	11.803	0.475
22	12.276	0.473
23	12.747	0.471
24	13.217	0.470
25	13.686	0.469
26	14.153	0.467
27	14.619	0.466
28	15.084	0.465
29	15.547	0.463
30	16.0104	0.4629
31	16.472	0.462
32	16.933	0.461
33	17.394	0.461
34	17.853	0.459
35	18.312	0.459
36	18.770	0.458
37	19.228	0.458
38	19.684	0.456
39	20.141	0.456
40	20.5967	0.4558
41	21.052	0.455
42	21.507	0.455
43	21.961	0.454
44	22.415	0.454
45	22.868	0.453
46	23.321	0.453
47	23.774	0.453
48	24.226	0.452
49	24.678	0.452
50	25.1295	0.4515
51	25.5806	0.4511
52	26.0314	0.4508
53	26.4820	0.4506
54	26.9323	0.4503
55	27.3823	0.4500
56	27.8319	0.4498
57	28.2814	0.4495
58	28.7305	0.4491
59	29.1794	0.4489
60	29.6281	0.4487

## Appendix B

Table to calculate  $P(X_f)$  for determination of Estimated Lifetime vs reciprocal of Temperature,  $Toop$  [9]

$$\text{TABULATION OF } -\log p(x') = -\log \left[ \frac{1}{x'e^{x'}} - \int_{x'}^{\infty} \frac{dx}{xe^x} \right]$$

		0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9
10	6.4157	0.0515	0.1030	0.1544	0.2057	0.2569	0.3081	0.3591	0.4101	0.4611
11	6.9276	0.0508	0.1015	0.1522	0.2028	0.2533	0.3038	0.3542	0.4046	0.4549
12	7.4327	0.0502	0.1003	0.1504	0.2004	0.2504	0.3004	0.3502	0.4001	0.4499
13	7.9323	0.0497	0.0993	0.1489	0.1985	0.2480	0.2975	0.3469	0.3963	0.4456
14	8.4273	0.0493	0.0985	0.1477	0.1968	0.2459	0.2950	0.3440	0.3930	0.4420
15	8.9182	0.0489	0.0978	0.1466	0.1954	0.2441	0.2929	0.3415	0.3902	0.4388
16	9.4056	0.0486	0.0971	0.1456	0.1941	0.2425	0.2910	0.3393	0.3877	0.4360
17	9.8900	0.0483	0.0965	0.1448	0.1930	0.2411	0.2893	0.3374	0.3855	0.4336
18	10.3716	0.0480	0.0960	0.1440	0.1919	0.2399	0.2878	0.3356	0.3835	0.4313
19	10.8507	0.0478	0.0956	0.1433	0.1910	0.2387	0.2864	0.3341	0.3817	0.4293
20	11.3277	0.0476	0.0951	0.1427	0.1902	0.2377	0.2852	0.3326	0.3801	0.4275
21	11.8026	0.0474	0.0948	0.1421	0.1895	0.2368	0.2841	0.3314	0.3786	0.4259
22	12.2757	0.0472	0.0944	0.1416	0.1888	0.2359	0.2831	0.3302	0.3773	0.4244
23	12.7471	0.0471	0.0941	0.1411	0.1881	0.2351	0.2821	0.3291	0.3760	0.4230
24	13.2170	0.0469	0.0938	0.1407	0.1876	0.2344	0.2813	0.3281	0.3749	0.4217
25	13.6855	0.0468	0.0935	0.1403	0.1870	0.2338	0.2805	0.3272	0.3739	0.4205
26	14.1527	0.0467	0.0933	0.1399	0.1865	0.2331	0.2797	0.3263	0.3729	0.4194
27	14.6187	0.0465	0.0931	0.1396	0.1861	0.2326	0.2791	0.3255	0.3720	0.4184
28	15.0836	0.0464	0.0928	0.1393	0.1857	0.2320	0.2784	0.3248	0.3711	0.4175
29	15.5474	0.0463	0.0926	0.1390	0.1853	0.2315	0.2778	0.3241	0.3704	0.4166
30	16.0103	0.0462	0.0925	0.1387	0.1849	0.2311	0.2773	0.3235	0.3696	0.4158
31	16.4722	0.0461	0.0923	0.1384	0.1845	0.2306	0.2768	0.3229	0.3689	0.4150
32	16.9333	0.0461	0.0921	0.1382	0.1842	0.2302	0.2763	0.3223	0.3683	0.4143
33	17.3936	0.0460	0.0920	0.1379	0.1839	0.2299	0.2758	0.3217	0.3677	0.4136
34	17.8532	0.0459	0.0918	0.1377	0.1836	0.2295	0.2754	0.3212	0.3671	0.4130
35	18.3120	0.0458	0.0917	0.1375	0.1833	0.2292	0.2750	0.3208	0.3666	0.4124
36	18.7701	0.0458	0.0916	0.1373	0.1831	0.2288	0.2746	0.3203	0.3661	0.4118
37	19.2276	0.0457	0.0914	0.1371	0.1828	0.2285	0.2742	0.3199	0.3656	0.4112
38	19.6845	0.0457	0.0913	0.1370	0.1826	0.2282	0.2739	0.3195	0.3651	0.4107
39	20.1408	0.0456	0.0912	0.1368	0.1824	0.2280	0.2735	0.3191	0.3647	0.4102
40	20.5966	0.0455	0.0911	0.1366	0.1822	0.2277	0.2732	0.3187	0.3642	0.4098
41	21.0519	0.0455	0.0910	0.1365	0.1820	0.2274	0.2729	0.3184	0.3638	0.4093
42	21.5066	0.0455	0.0909	0.1363	0.1818	0.2272	0.2726	0.3181	0.3635	0.4089
43	21.9609	0.0454	0.0908	0.1362	0.1816	0.2270	0.2724	0.3177	0.3631	0.4085
44	22.4148	0.0454	0.0907	0.1361	0.1814	0.2268	0.2721	0.3174	0.3628	0.4081
45	22.8682	0.0453	0.0906	0.1359	0.1812	0.2265	0.2718	0.3171	0.3624	0.4077
46	23.3212	0.0453	0.0906	0.1358	0.1811	0.2264	0.2716	0.3169	0.3621	0.4074
47	23.7738	0.0452	0.0905	0.1357	0.1809	0.2262	0.2714	0.3166	0.3618	0.4070
48	24.2260	0.0452	0.0904	0.1356	0.1808	0.2260	0.2712	0.3163	0.3616	0.4067
49	24.6779	0.0452	0.0903	0.1355	0.1806	0.2258	0.2709	0.3161	0.3612	0.4064
50	25.1294	0.0451	0.0903	0.1354	0.1805	0.2256	0.2707	0.3159	0.3610	0.4061

Example of use: 12      7.4327  
                          0.3    0.1504       $\log p(12.34) = -7.6031$   
                          0.04   0.0200       $p(12.34) = 2.494 \times 10^{-8}$   
                          7.6031

where

$$x = (E/R\theta) \quad (13b)$$

methods. There have been many attempts at approximations [21]-[23] and procedures that purport to avoid [24], [25] this difficulty, although not always with

Where

$$X = (E/RT)$$